

# A Dynamic Model: Integrating Support Services and Classroom Instruction

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**CONNECTING WITH STUDENTS**

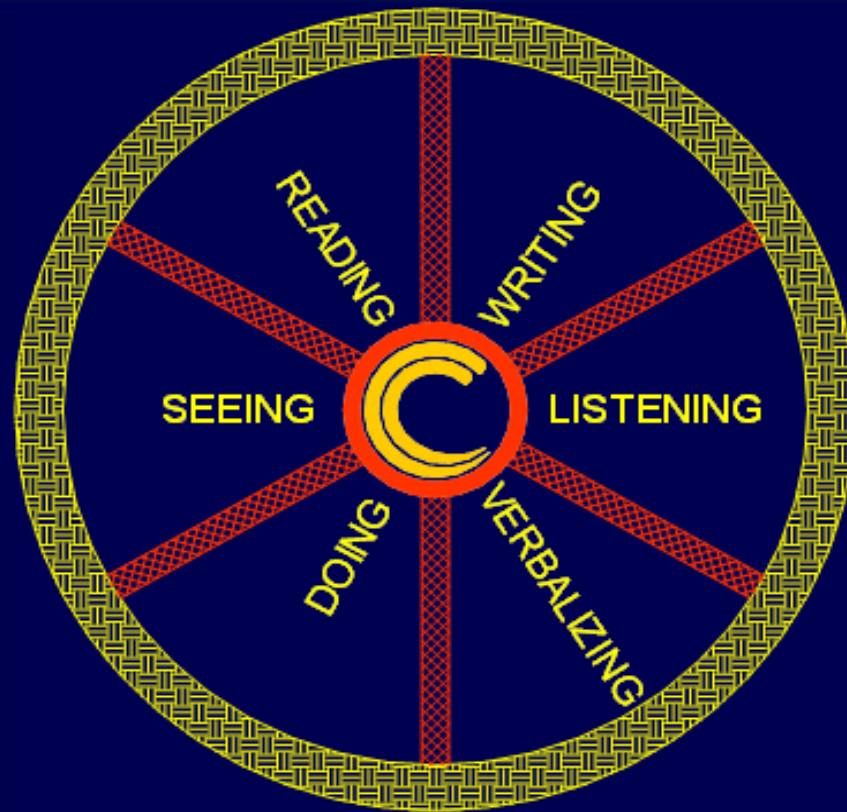


**TO PROMOTE SUCCESS**

**What are the missing  
pieces to this puzzle?**

# Tools for Success

## STUDY SKILLS - LEARNING WHEEL

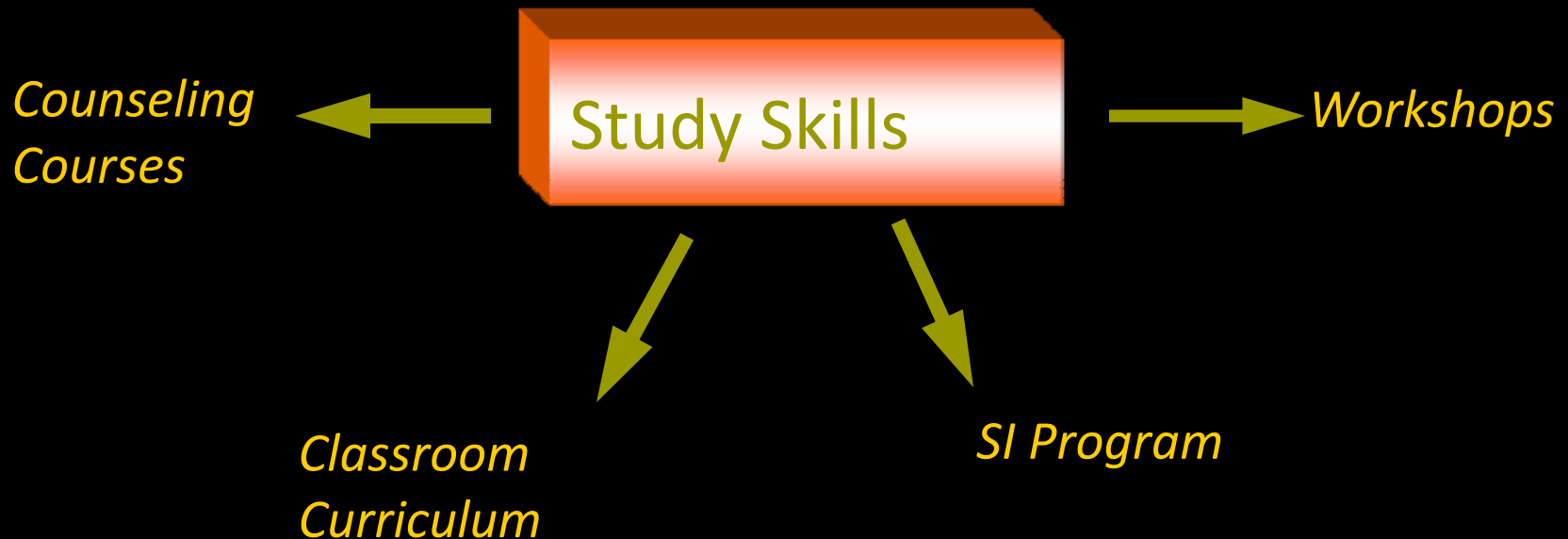


# PIECES OF THE PUZZLE

1. PROVIDING LINKED OR COHORT CLASSES
2. USING THE *'TOOLS FOR SUCCESS'* IN THE CLASSROOM
3. COORDINATING WITH SUPPORT SERVICES
4. UNDERSTANDING THE BASIC SKILLS STUDENT'S  
*'TRANSITION TO ALGEBRA'*
5. CONNECTING WITH STUDENTS IN THE CLASSROOM

# Linked/Cohort Classes

Learning Community/ Freshmen Experience in the Classroom/Hybrid



Learning Communities/Freshmen Experience

# Tools for Success

Supplemental Instruction in the Classroom/Hybrid

- 1) *During Lecture* – *Tutor observes instructor and students*
- 2) *Between topics* – *Students practice their skills with instructor and tutor assistance*
- 3) *Concept Check* – *Quick check-up and review results*
- 4) *Study Group* – *Optional or Link*

*Classes*

# Tools for Success

## Study Skills in Classroom/Hybrid

- *Time Management*

- *Daily planner*

- *Chapter Organizer*

- *Topic, procedure, and example*

- *The Learning Cycle*

- *Reading* → *Writing* → *Listening* →  
→ *Verbalizing* → *Seeing* → *Reading*

# Tools for Success

## Study Skills in Classroom/Hybrid

### Class Attendance and the Learning Cycle

- *Listening and seeing*: hearing and watching the instructor's lecture
- *Reading*: reading the information on the board and in handouts
- *Verbalizing*: asking questions and participating in class discussions
- *Writing*: taking notes and working problems assigned in class

# Coordination with Support Services

- THE KEY TO A SUCCESSFUL PROGRAM

Integrated Services

SELF-PACED  
STUDENT

DIAGNOSTIC EVALUATION

ORIENTATION

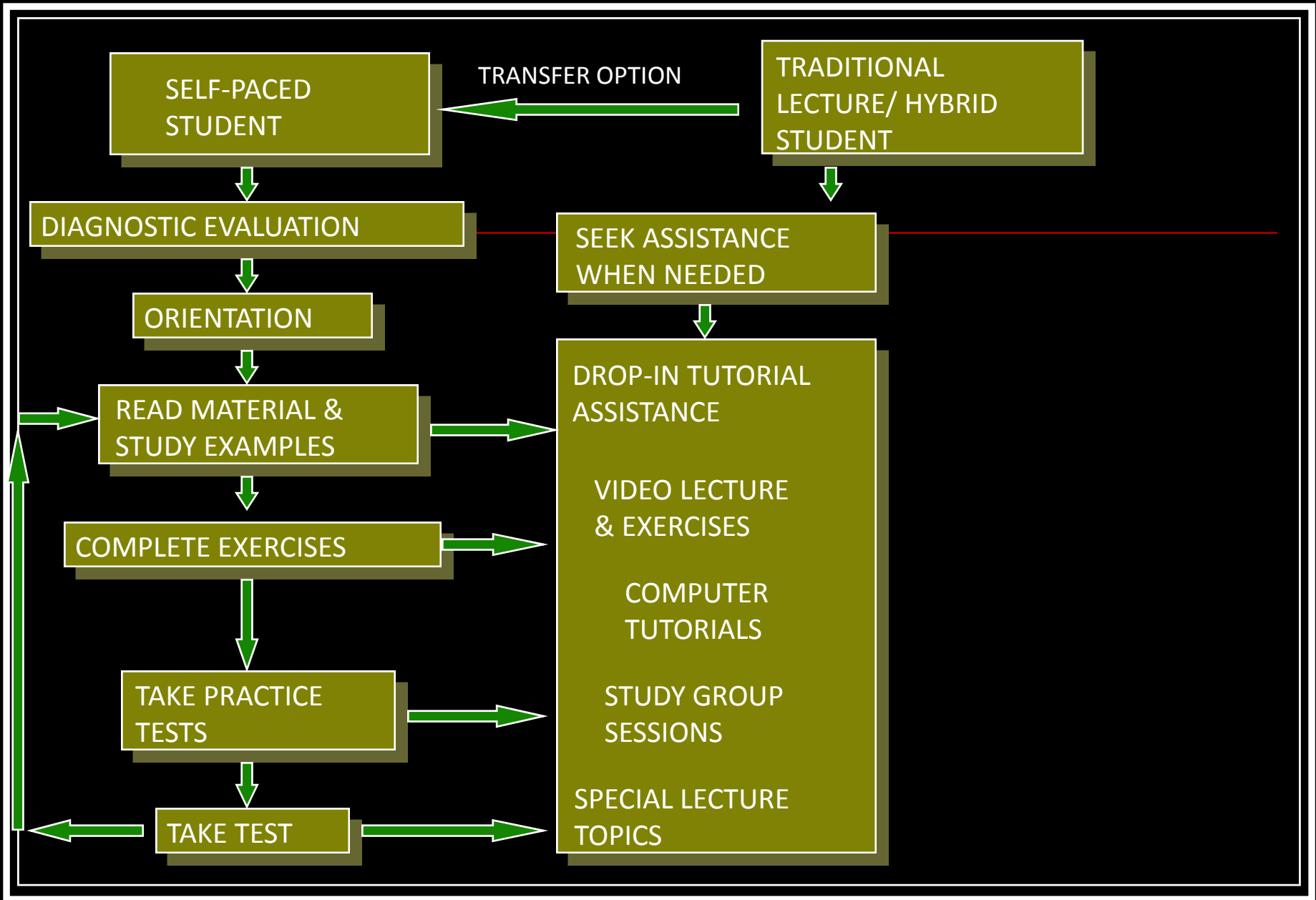
READ MATERIAL &  
STUDY EXAMPLES

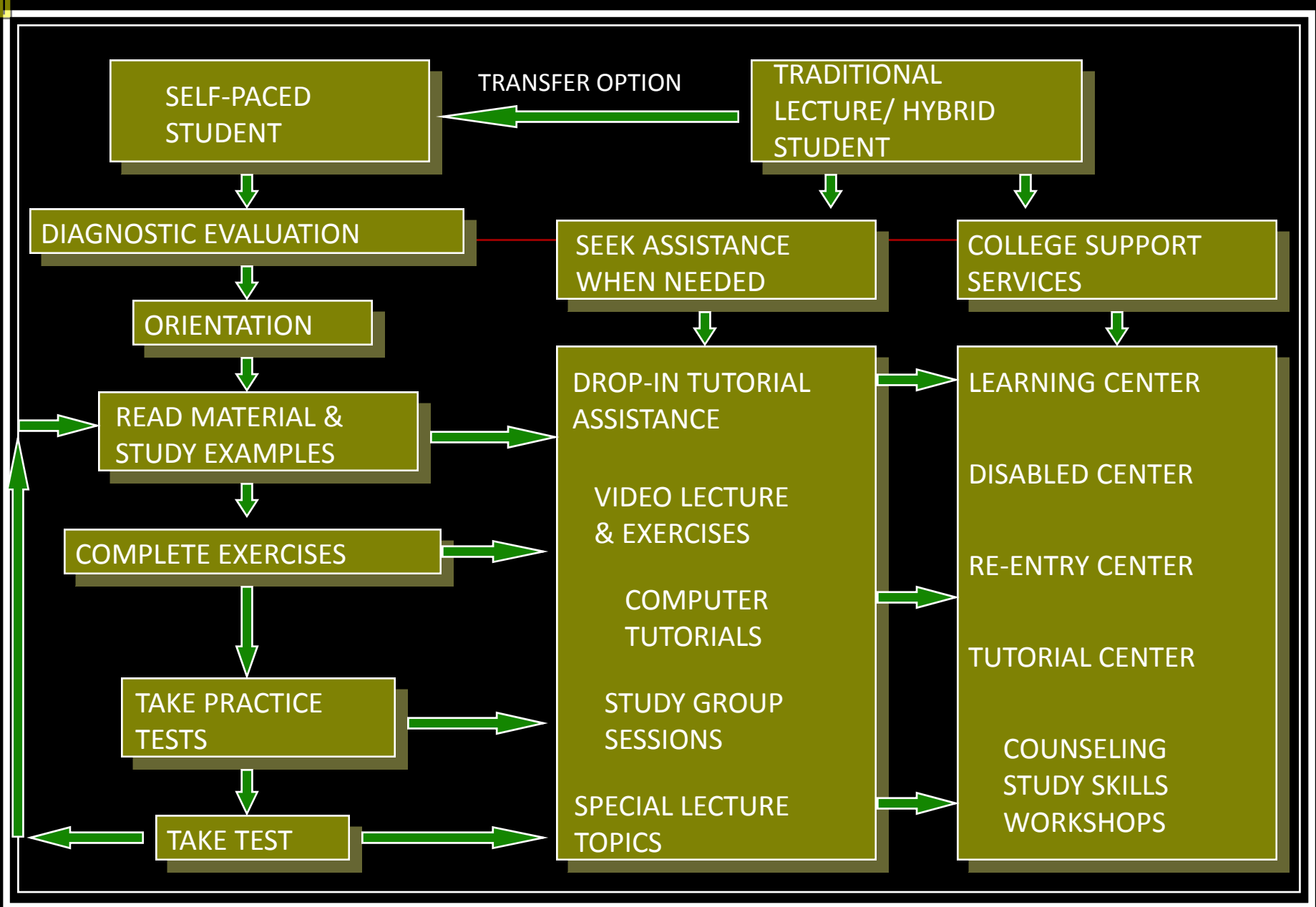
COMPLETE EXERCISES

TAKE PRACTICE  
TESTS

TAKE TEST







# Understand the Basic Skills Student

## The Transition to Algebra

### UNSUCCESSFUL MATH STUDENTS...

*View mathematics (including arithmetic) as a subject they must MEMORIZE and become overwhelmed when they cannot memorize everything (memory overload).*

*Do not understand CONCEPTS, they memorize everything.*

# Understand the Basic Skills Student

## The Transition to Algebra

### UNSUCCESSFUL MATH STUDENTS...

*View algebra as something foreign – a bunch of letters and numbers that mean nothing. They do not see that math is a language.*

*Cannot transition between the concrete and the abstract.*

# Understand the Basic Skills Student

## The Transition to Algebra

### UNSUCCESSFUL MATH STUDENTS...

*Have difficulty making the connection between the rules of algebra and those of arithmetic.*

*Have difficulty developing inductive and deductive reasoning.*

*Lack study skills and have math anxiety.*

WE ARE READY!  
WE CAN FINALLY TEACH MATH

Now we are ready to *connect with the basic skills student* in the classroom.

# CONCEPTS *NOT* MEMORIZATION

- Selling to students the importance of *thinking* and understanding *why* instead of *memorizing* is an important first step.
- Use familiar arithmetic topics to introduce *concepts*.
- Break the *robot* mindset by immediately showing the *value of thinking*.

# CONCEPTS *NOT* MEMORIZATION

## Patterns

Emphasize the value of thinking about numbers.

$$4 + 0 = 4$$

$$3 + 1 = 4$$

$2 + 2 = 4$  → We need to learn only 1 addition fact.

$$1 + 3 = 4$$

$$0 + 4 = 4$$

The last two rows of the pattern illustrate the commutative property.

# CONCEPTS *NOT* MEMORIZATION

Show students that understanding properties is useful.

$$\begin{array}{c} 7 + 8 = ? \\ \swarrow \quad \searrow \\ (7 + 7) + 1 = \\ 14 + 1 = \\ 15 \end{array}$$

# Explain Concepts in a Concrete Way

You have *3 hundred-dollar bills* and must make change using ten-dollar and one-dollar bills

$$\begin{array}{r} 300 \\ - 12 \\ \hline \end{array}$$

You break a hundred-dollar bill into *9 ten-dollar* and *10 one-dollar* bills. You have *2 hundred-dollar* bills left

$$\begin{array}{r} 2910 \\ ~~300~~ \\ - 12 \\ \hline \end{array}$$

# CONCRETE ↔ ABSTRACT

Use familiar topics to teach the language of mathematics.

Three *added to* a number

$$n + 3$$

The *difference of* three and  $x$

$$3 - x$$

Triple a number is equal to 18

$$\begin{array}{ccccccc} \downarrow & & \downarrow & & \downarrow & & \downarrow \\ 3 & \cdot & y & = & 18 \end{array}$$

# MAKE THE CONNECTION

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**Teach algebra and arithmetic topics together.**

**Emphasize that the rules of algebra are a natural extension of arithmetic, instead of an abstract topic with a new set of rules.**

# MAKE THE CONNECTION

Arithmetic



Algebra

Five minus two  
equals three

$$5 - 2 = 3$$

Five y's minus 2  
y's equals three  
y's

$$5y - 2y = 3y$$

# Making Sense of Algebra

Translation also helps students understand concepts

English Phrase

Translation into Symbols

Question: Five times  
what number is equal  
to thirty five?

$$5x = 35$$

Answer: That number is  
seven.

$$x = 7$$

# Making Sense of Algebra

Discuss 'Why or Why not'

$$2x + 3x$$

$$(2x)(3x)$$

$$2x + 3x^2$$

$$(2x)(3x^2)$$

$$(2x)(3y)$$

$$2(4 + x)$$

$$2(4x)$$

$$2x + 3x$$

$$(2x)(3x)$$

Students Now Have The Ability to Discuss Common Errors

Student Question:

$$(2x)(3x) \neq 5x \quad \text{Why?}$$

Response:

We must look at the meaning of  $(2x)(3x)$  and  $2x + 3x$ .

$$(2x)(3x) = 2 \cdot x \cdot 3 \cdot x = 2 \cdot 3 \cdot x \cdot x = 6x^2$$

Simplifying  $2x + 3x$  can be compared to adding 2 *apples* plus 3 *apples* which equals 5 *apples* or  $5x$ .

$$2x + 3x^2 \quad (2x)(3x^2) \quad (2x)(3y)$$

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### Student Question:

We *cannot* simplify  $2x + 3x^2$  because we do not have like terms. So why can we multiply  $(2x)(3x^2)$  and  $(2x)(3y)$ ?

### Response:

We must look at the meaning of  $(2x)(3x^2)$  and  $(2x)(3y)$ .

$$(2x)(3x^2) = 2 \cdot x \cdot 3 \cdot x^2 = \dots$$

$$2(4x)$$

$$2(4 + x)$$

Student Question:

$2(4x) \neq 2 \cdot 4 \cdot 2 \cdot x$  and  $2(4x) \neq 2 \cdot 4 + 2 \cdot x$  Why?

Response:

Do we multiply both 4 and 3 by 2 when multiplying  $2(4 \cdot 3)$ ? Does this problem include addition as an operation?

We must look at the meaning of  $2(4x)$  and  $2(4 + x)$ .

$$2(4x) = 2 \cdot 4 \cdot x = 8x$$

$$2(4 + x) = \text{two times } (4+x) \text{ or } (4+x) + (4+x)$$

$$= 4 + 4 + x + x = 8 + 2x$$

# Engage Students

- Use fun activities to develop inductive and deductive reasoning skills.
- Start with easy and fun activities and work towards harder ones.

# The Missing Pieces to the Puzzle

- **Prepare Students for the “Transition to Algebra”**
  - Understand the Basic Skills Student
- **Integrate “ Tools for Success” into the classroom curriculum**
  - Supplemental Instruction / Study Skills
- **Provide Linked or Cohort Classes**
  - Learning Communities / Freshmen Experience
- **Coordinate with Support Services**
  - Integrated Services
- **Connect with Student in the Classroom**
  - Concepts and the Language of Mathematics